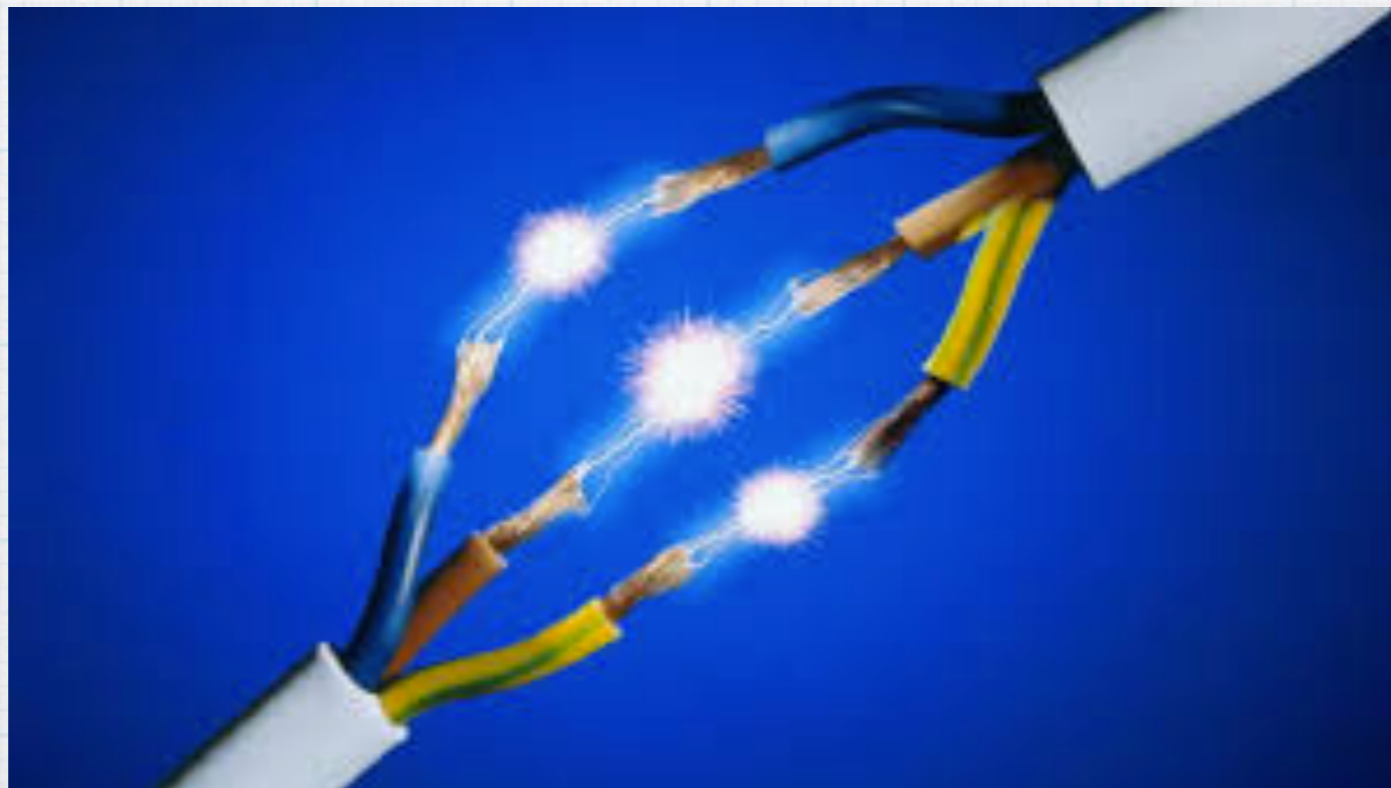
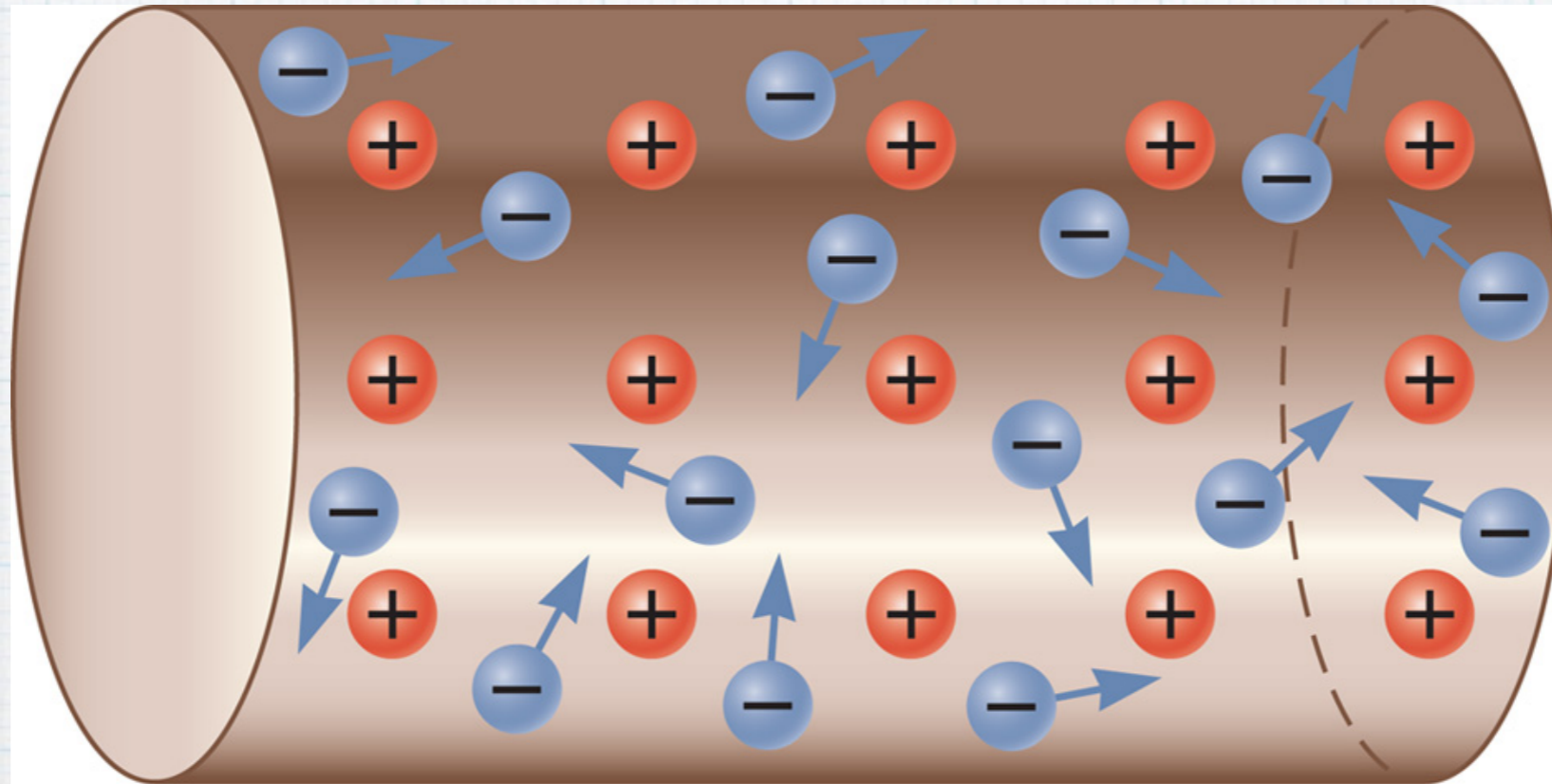
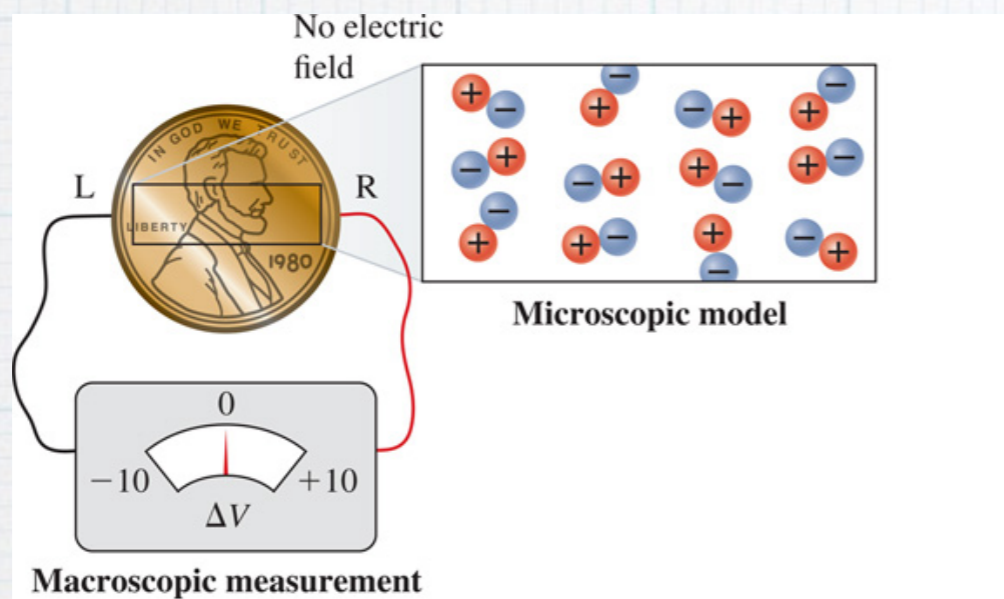


Current and Resistance

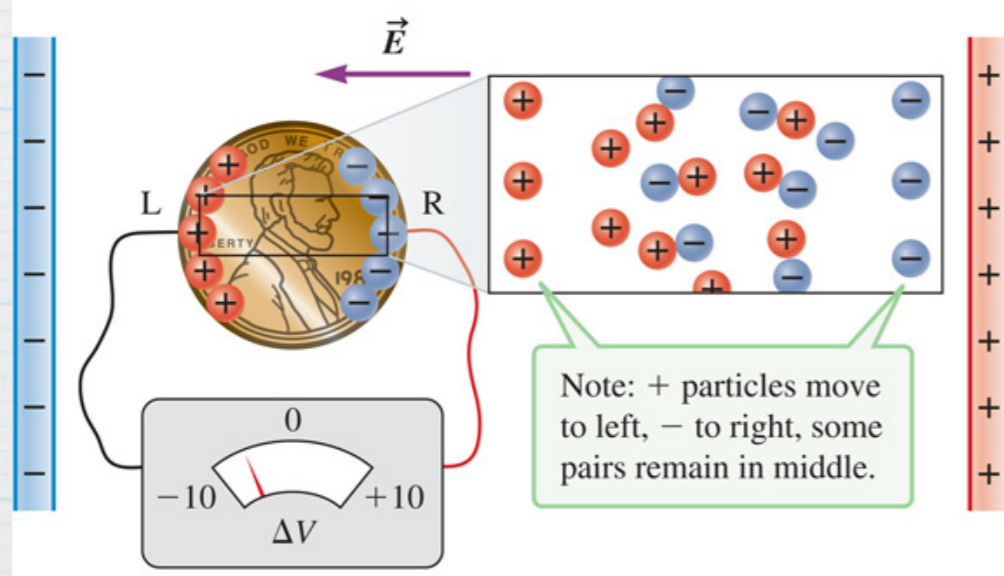




Conduction electrons are free to move throughout conductor; positive ions are fixed in place.

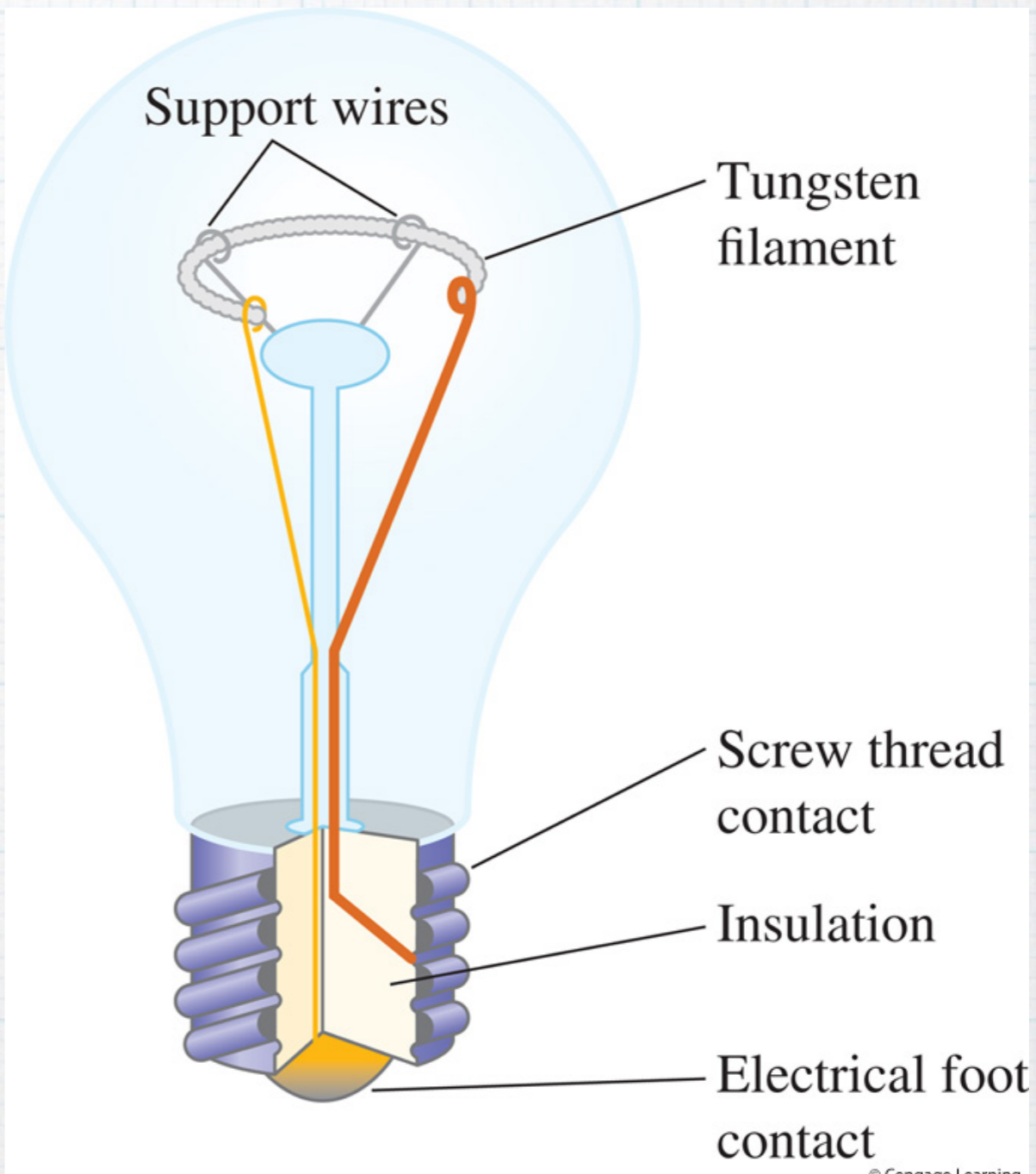


A.



B.

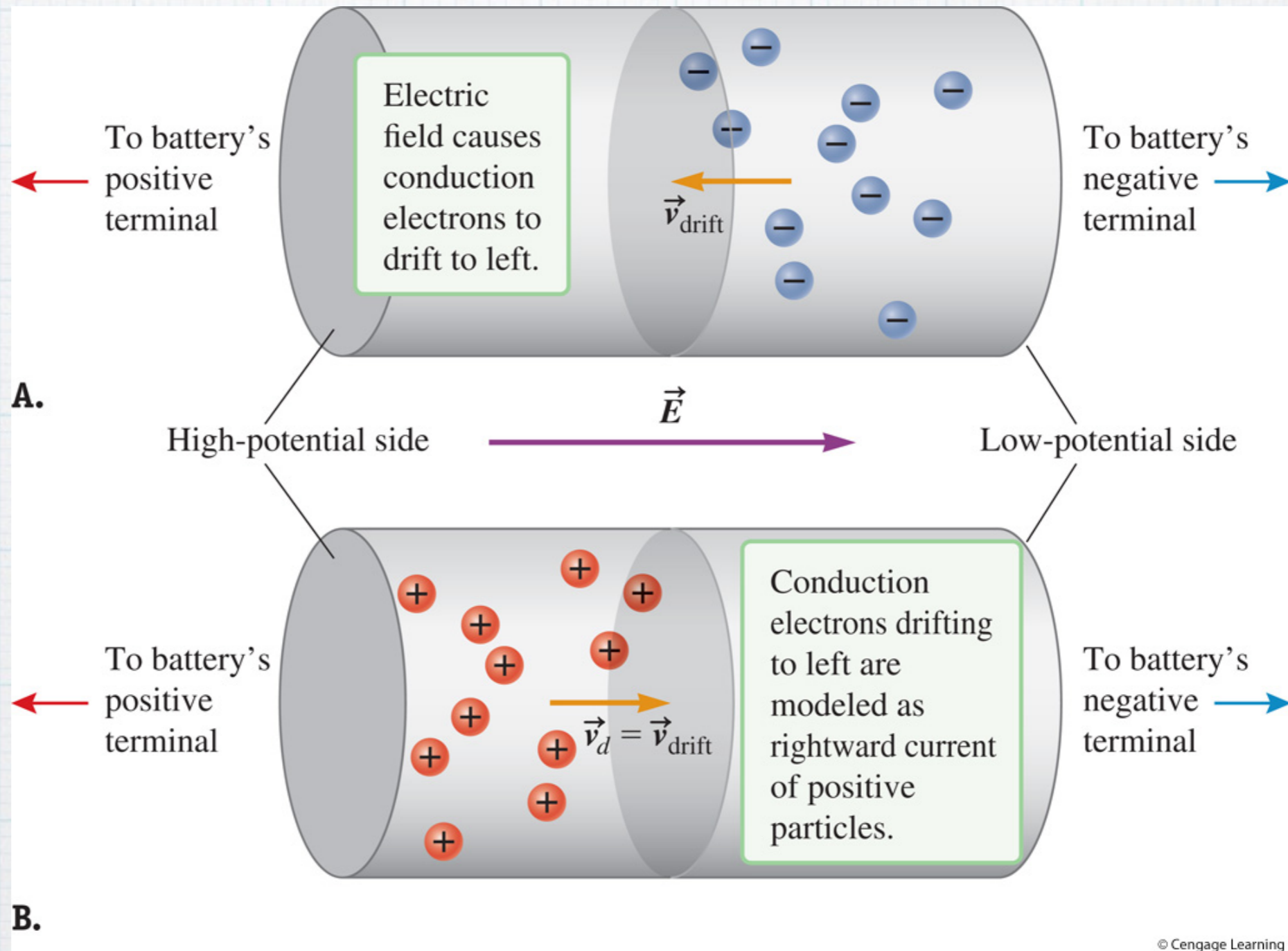
© Cengage Learning



© Cengage Learning

$\vec{F}_e = q\vec{E}$ $\vec{E} = -E_x\hat{i}$

Let's do it for the protons and the electrons



© Cengage Learning

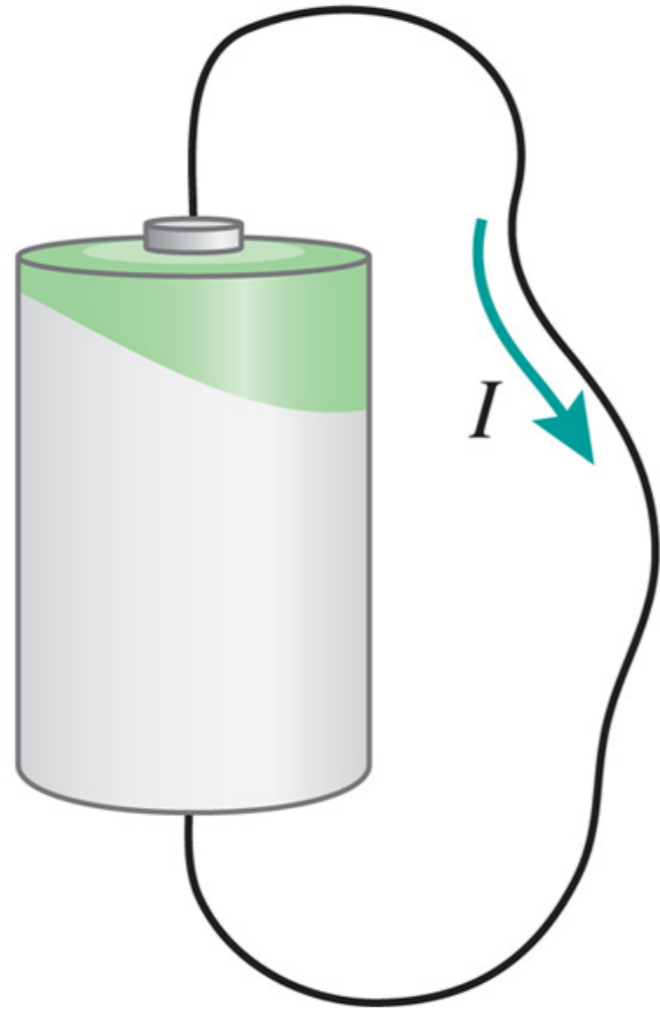
Electron's flow towards the positive end, proton's to the negative end

Current

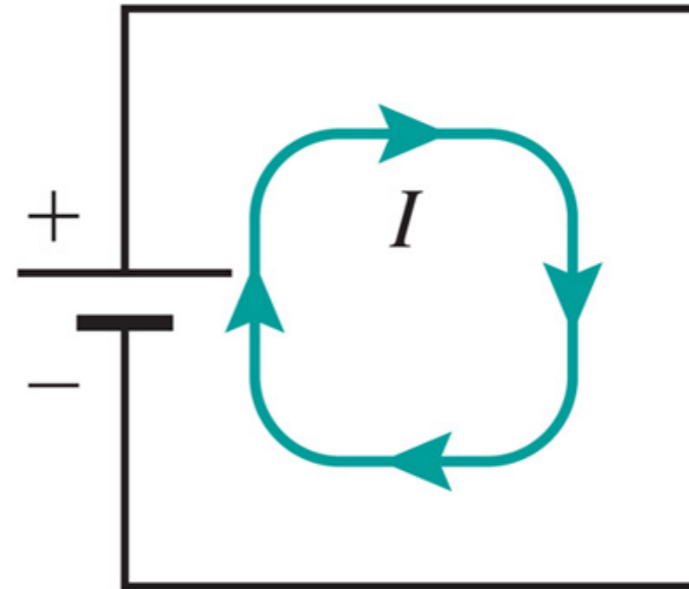
- * Ok, somewhat silly
- * The electrons do the moving, but we pretend the current is in the direction of the protons
- * I is the symbol for current, its units are amperes (A) or Coulombs/second

$$I = \frac{dq}{dt} \rightarrow q = \int dq = \int_0^t I dt$$

Battery's terminals
connected by a wire



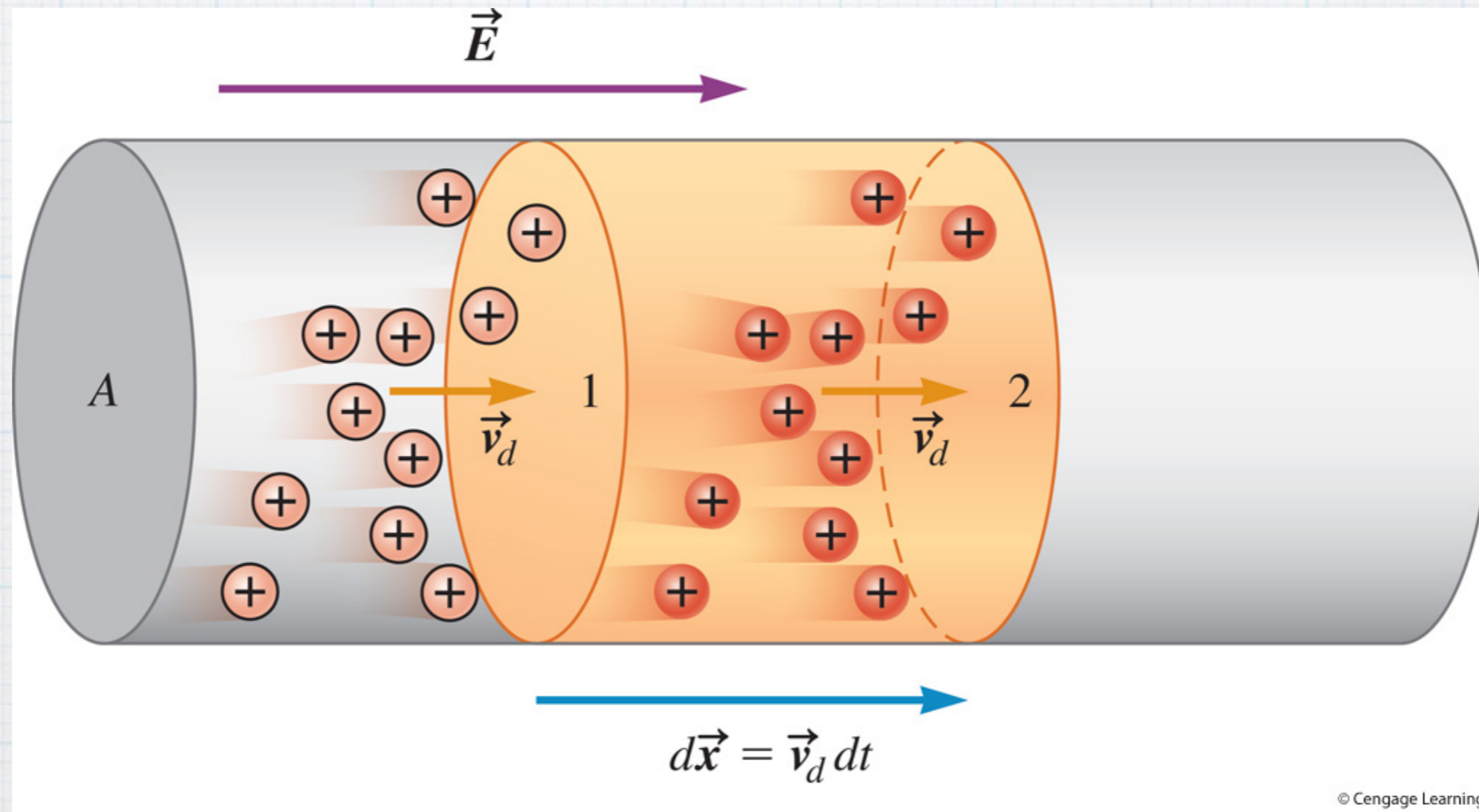
Equivalent
schematic
diagram



© Cengage Learning

flash light = .5A
Vacuum Cleaner = 10A

Current density and drift speed



© Cengage Learning

$$J = \frac{I}{A} \rightarrow \vec{J} \propto \vec{E}$$
$$v_d = \frac{I}{neA}$$

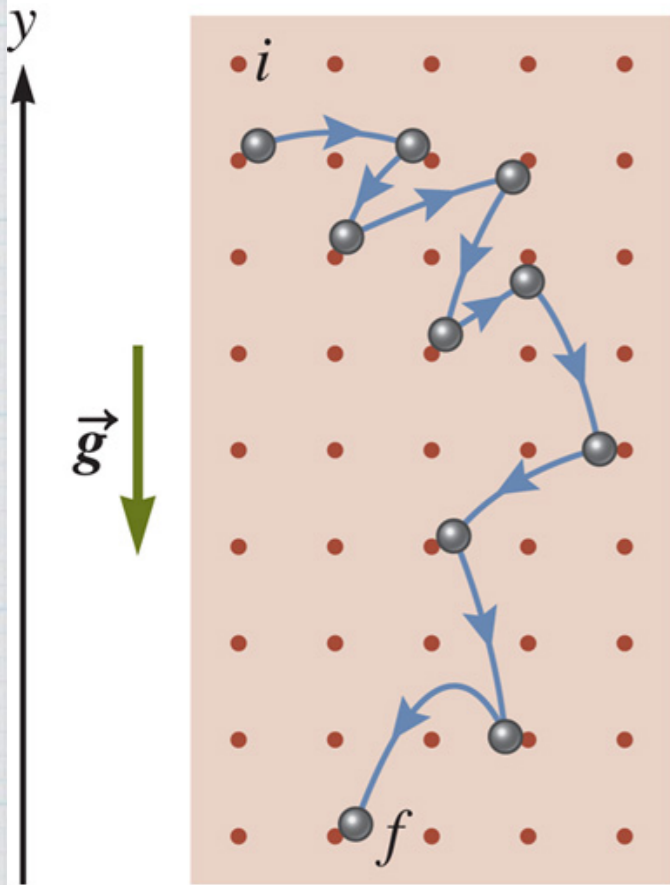
Example

Reading Question 28.2

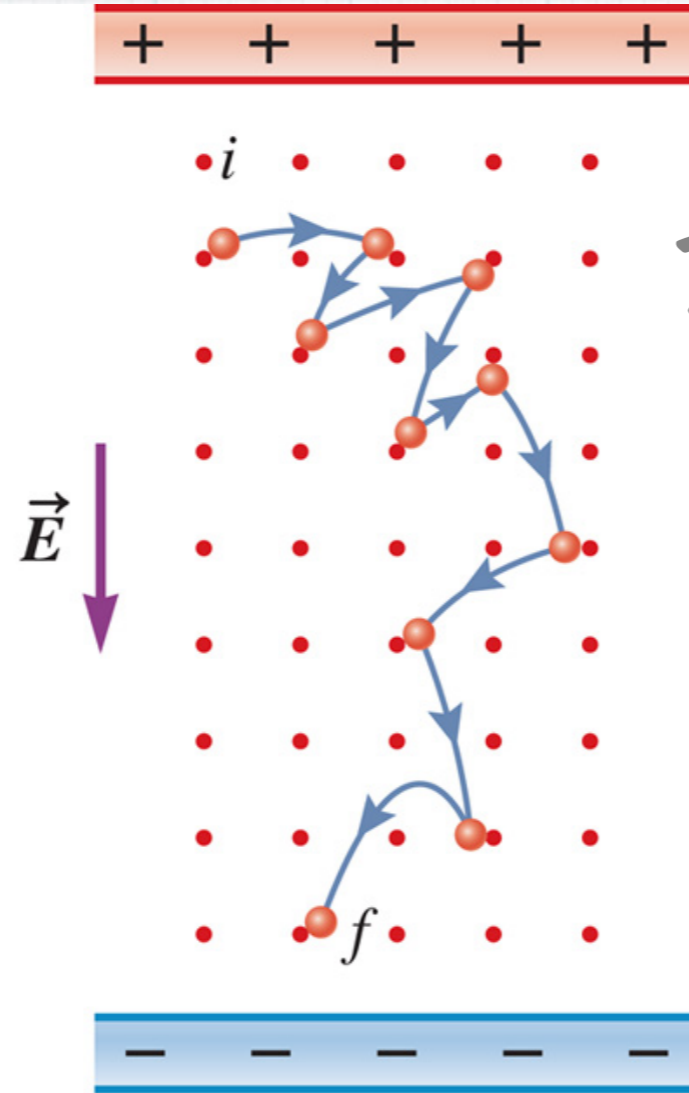
Current is defined by the rate of imaginary positive particles passing through a section of wire. The SI unit for current is the ampere, what is an ampere equivalent to?

- a. C / eV
- b. $\text{J} / \text{C s}$
- c. J / eV
- d. C / s

Resistivity and Conductivity



$$\vec{a} = -g\hat{j}$$



$$\vec{a} = -\frac{eE}{m_e}\hat{j}$$

first, gravity
Then electrical field

$$\vec{E} = -E\hat{j}$$

$$\vec{F} = q\vec{E} = m\vec{a}$$

$$\vec{a} = -\frac{eE}{m}\hat{j}$$

$$\vec{v}_d = -\left(\frac{qE}{m}\right)t\hat{j}$$

but $J = nqv_d$

$$\vec{J} = \frac{ne^2}{m_e}t\vec{E}$$

collisions

$$\vec{J} = \frac{ne^2}{m_e} t \vec{E}$$

$$\sigma = \frac{ne^2}{m_e} t \rightarrow \vec{J} = \sigma \vec{E}$$

$$\sigma = \frac{A/v}{m} \text{ conductivity}$$

Resistivity

$$\frac{1}{\sigma} = \rho$$

$$\vec{E} = \rho \vec{J}$$

Higher conductivity, lower resistivity

Resistance - 1 V/A = 1 ohm = 1 Ω

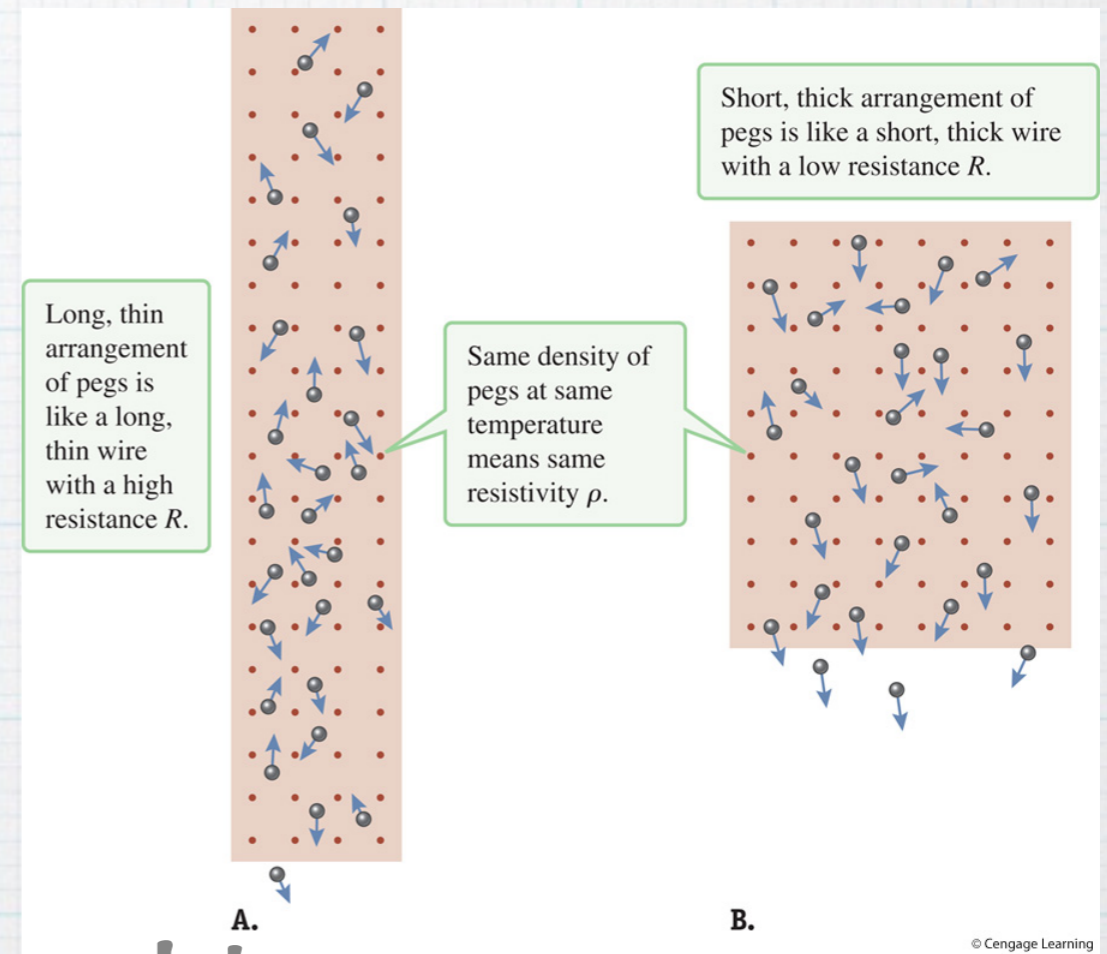
Resistance

For a constant electrical field (see derivation in book)

$$R = \rho \frac{l}{A}$$

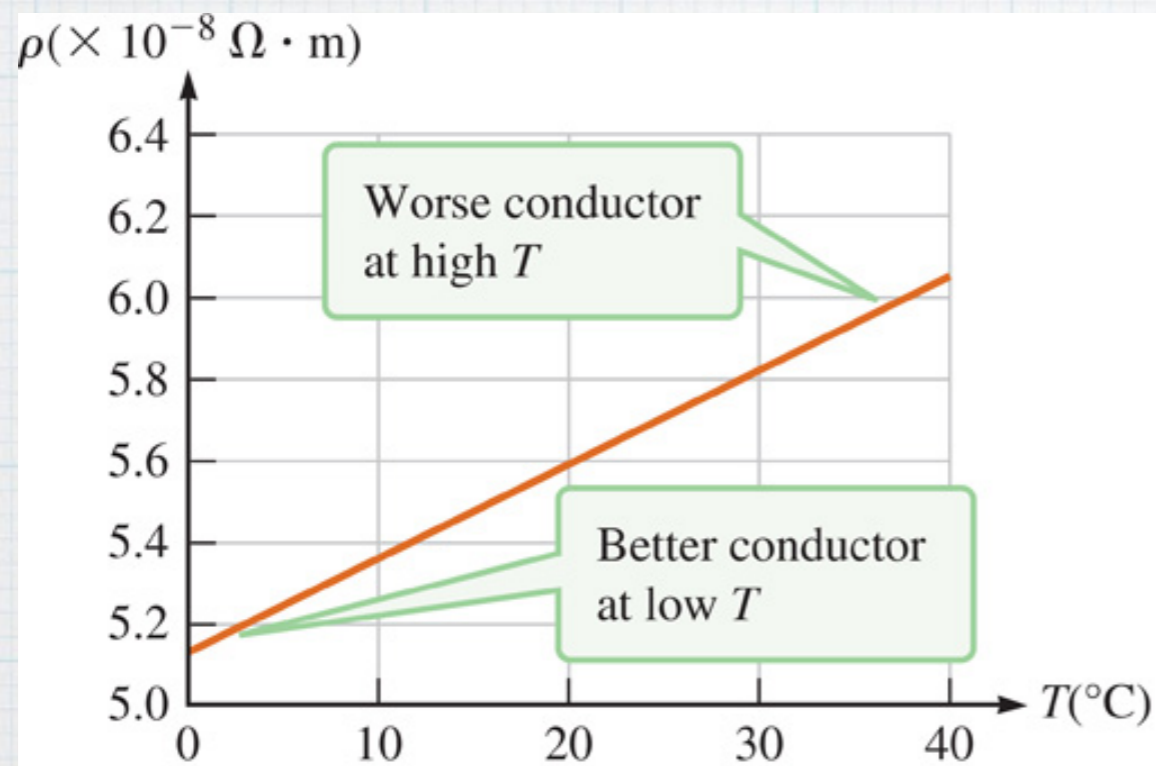
$$\rho(T) = \rho_0 [1 + \alpha(T - T_0)]$$

$$R(T) = R_0 [1 + \alpha(T - T_0)]$$

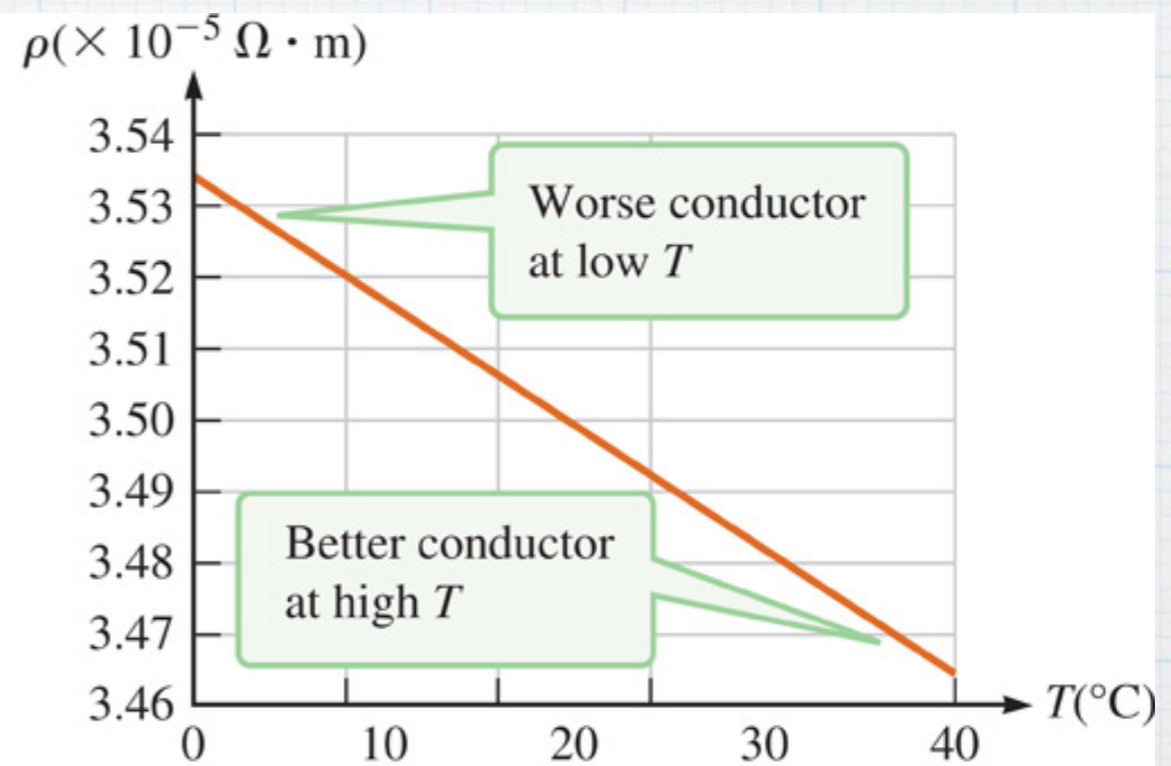


Reference temperature is 20 degrees celsius

Examples, change configuration, change temperature



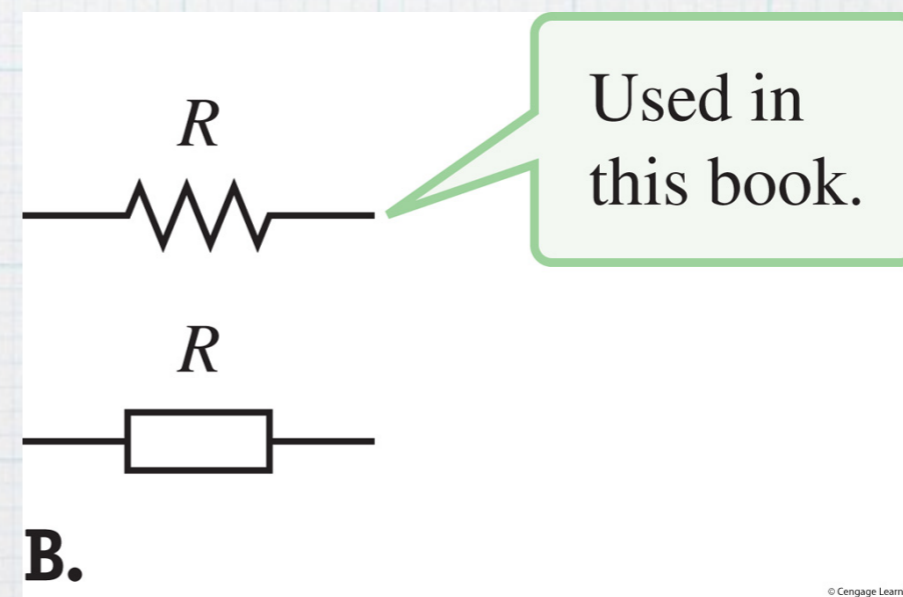
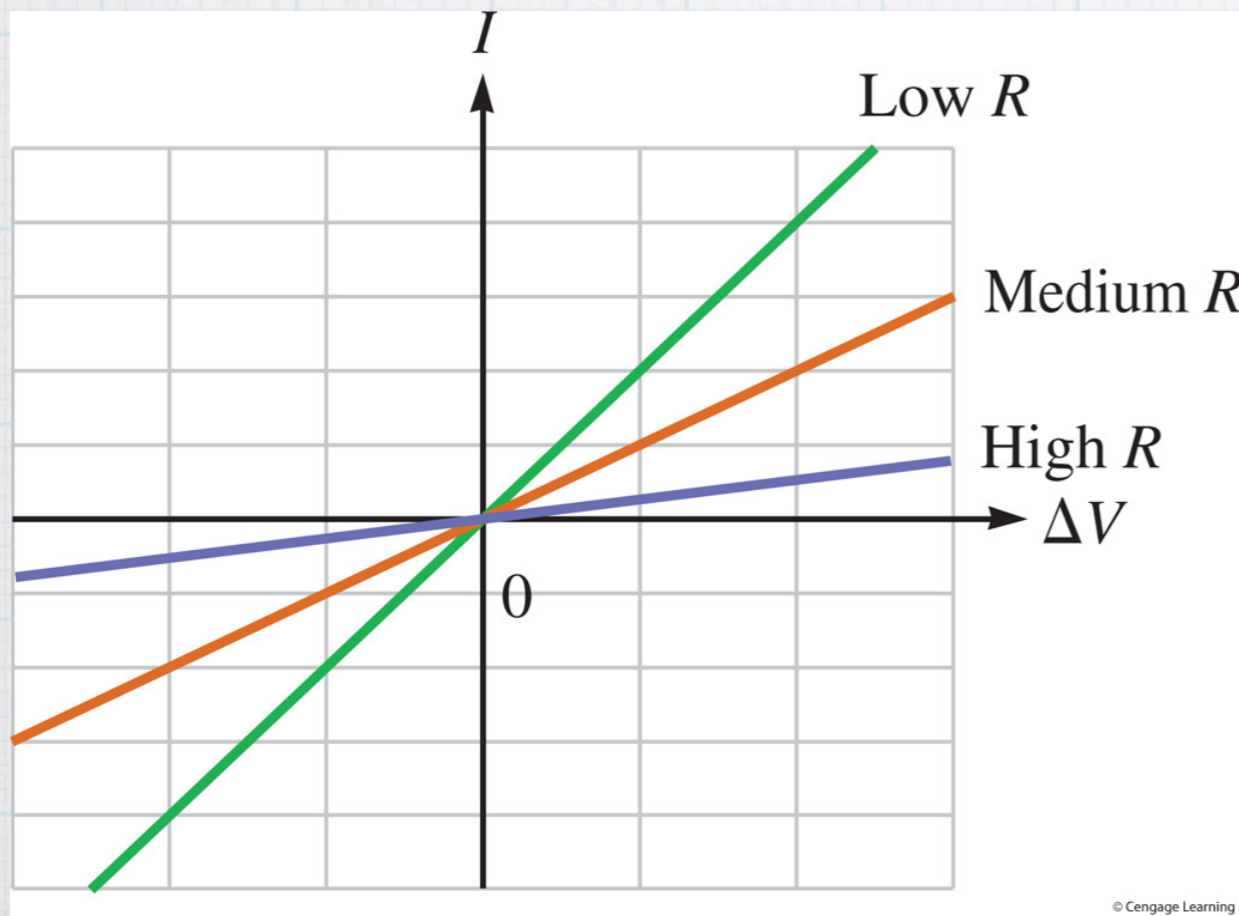
A. Tungsten

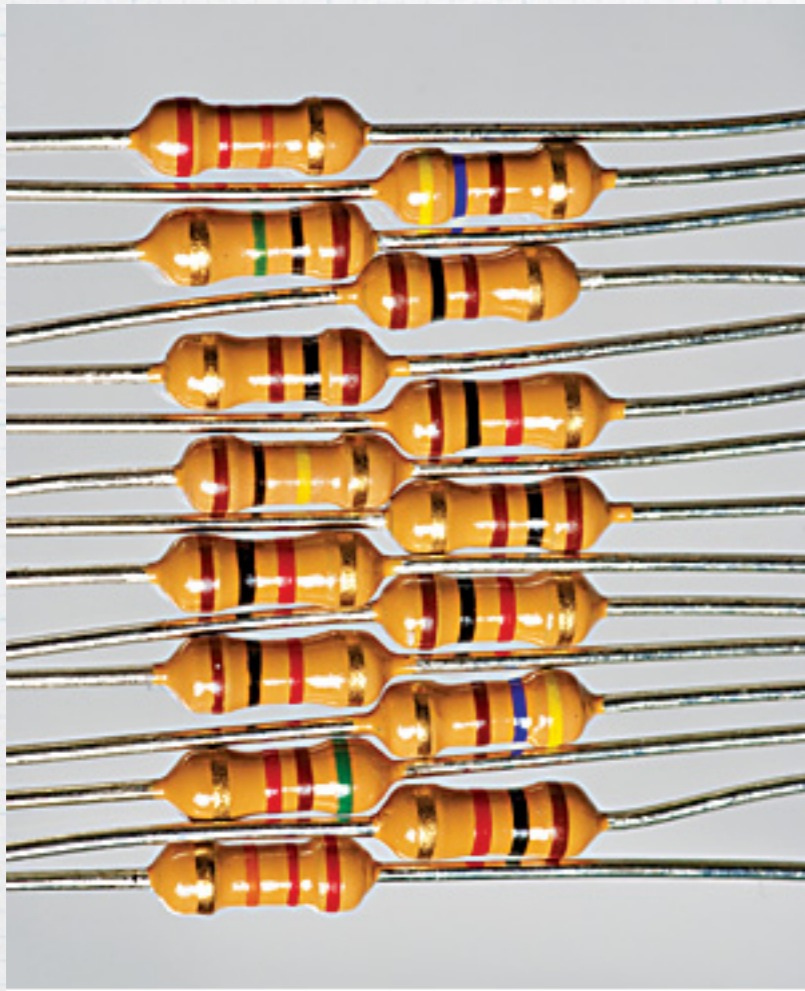


B. Carbon

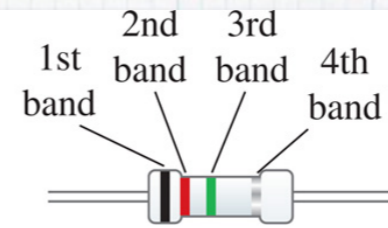
Ohm's Law

- * The potential dropped as a current crosses a resistor is $\Delta V = IR$
- * Circuit diagram, water analogy



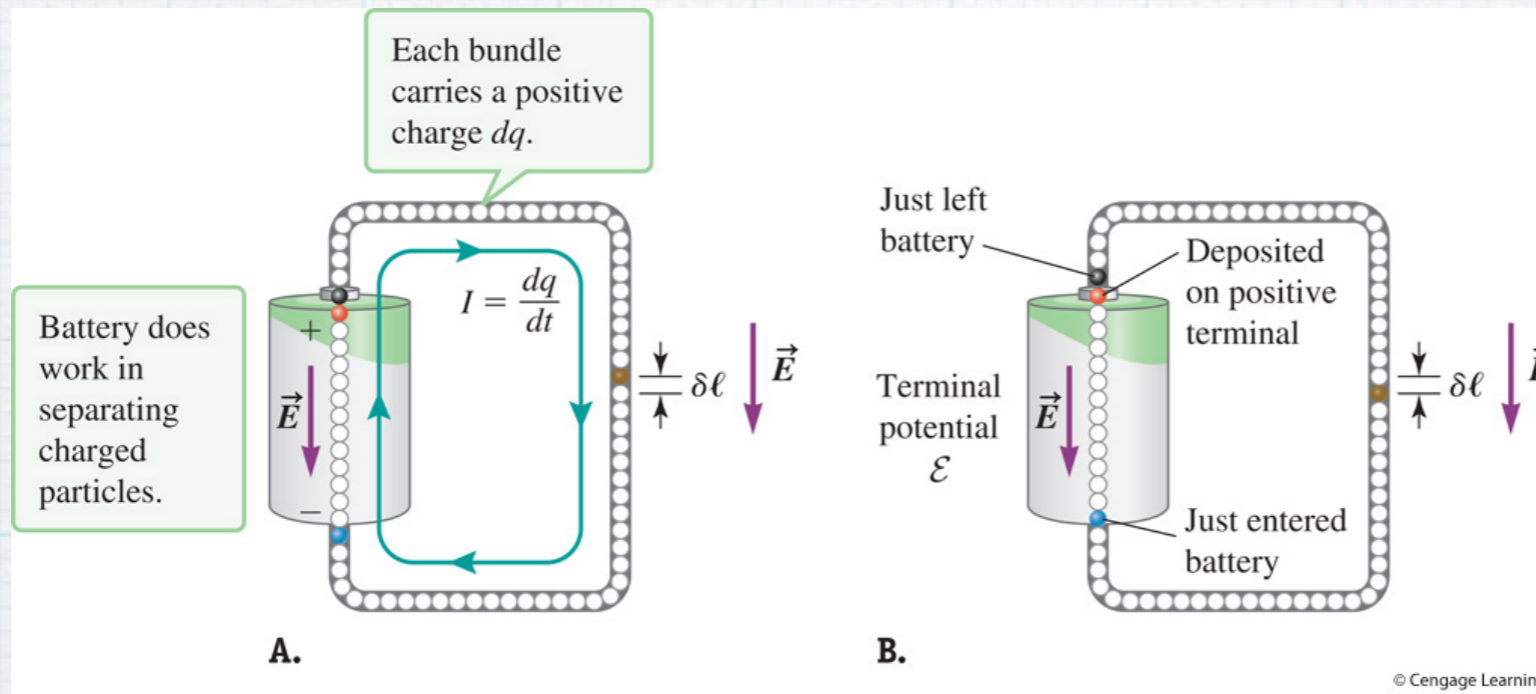


Charles Knowles/Shutterstock



Color	1st band (1st figure)	2nd band (2nd figure)	3rd band (multiplier)	4th band (tolerance)
Black	0	0	10^0	
Brown	1	1	10^1	
Red	2	2	10^2	$\pm 2\%$
Orange	3	3	10^3	
Yellow	4	4	10^4	
Green	5	5	10^5	
Blue	6	6	10^6	
Violet	7	7	10^7	
Gray	8	8	10^8	
White	9	9	10^9	
Gold			10^{-1}	$\pm 5\%$
Silver			10^{-2}	$\pm 10\%$

Power in a circuit



$$dU = \xi dq \rightarrow q\Delta V$$

$$dq = I dt$$

$$\frac{dU}{dt} = I\xi$$

$$P = I\xi = I\Delta V$$

Using Ohm's Law

$$P = I\xi = I\Delta V = I^2 R = \frac{\Delta V^2}{R}$$

Example with
kilowatt hours